recursion scheme	*adjunction*	*conjugates*	*para-hylo equation*	*algebra*
(hylo-shift law)	$\mathsf{Id} \dashv \mathsf{Id}$	$\alpha \dashv \alpha$	$x = a \cdot (id \vartriangle \mathsf{D}\, x \cdot \alpha\, C \cdot c) \ :\ A \leftarrow C$	$a : C \times \mathsf{D}\, A \to A$
mutual recursion	$\Delta \dashv (\times)$	ccf	$x_1 = a_1 \cdot (id \vartriangle \mathsf{D}\, (x_1 \vartriangle x_2) \cdot c) \ :\ A_1 \leftarrow C$ $x_2 = a_2 \cdot (id \vartriangle \mathsf{D}\, (x_1 \vartriangle x_2) \cdot c) \ :\ A_2 \leftarrow C$	$a_1 : C \times \mathsf{D}\, (A_1 \times A_2) \to A_1$ $a_2 : C \times \mathsf{D}\, (A_1 \times A_2) \to A_2$
accumulator	$- \times P \dashv (-)^P$	ccf	$x = a \cdot (outl \vartriangle ((\mathsf{D}\, (\Lambda\, x) \cdot c) \times P)) \ :\ A \leftarrow C \times P$	$a : C \times \mathsf{D}\, (A^P) \times P \to A$
course-of-values (§5.6)	$\mathsf{U}_{\mathsf{D}} \dashv \mathsf{Cofree}_{\mathsf{D}}$	ccf	$x = a \cdot (id \vartriangle \mathsf{D}\, (\mathsf{D}_\infty\, x \cdot [\![c]\!]) \cdot c) \ :\ A \leftarrow C$	$a : C \times \mathsf{D}\, (\mathsf{D}_\infty\, A) \to A$
finite memo-table (§5.6)	$\mathsf{U}_* \dashv \mathsf{Cofree}_*$	ccf	$x = a \cdot (id \vartriangle \mathsf{D}\, (\mathsf{D}_*\, x \cdot [\![c]\!]_*) \cdot c) \ :\ A \leftarrow C$	$a : C \times \mathsf{D}\, (\mathsf{D}_*\, A) \to A$

Table 1. Different types of para-hylos building on the canonical control functor (ccf); the coalgebra is $c : C \to \mathsf{D}\, C$ in each case.